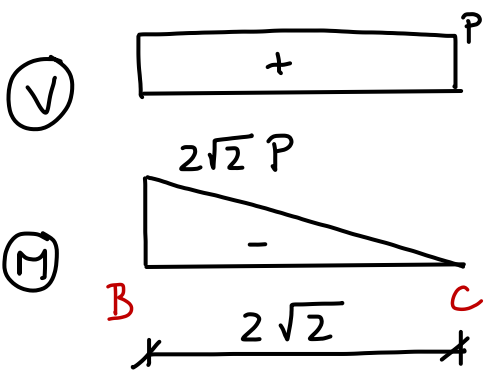
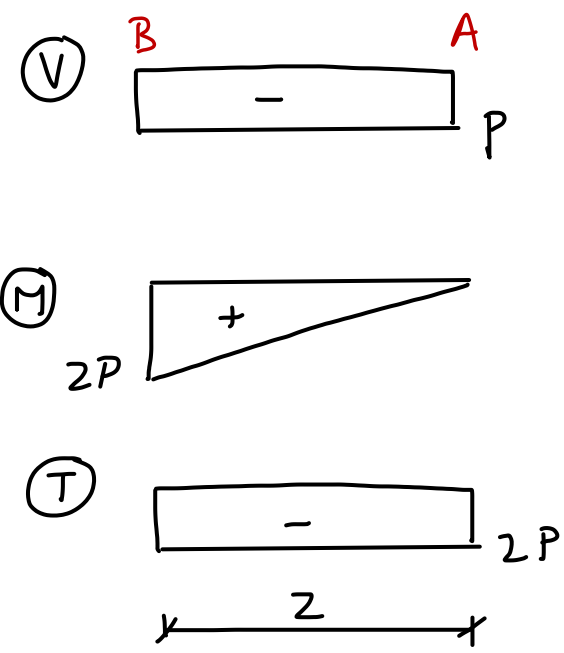


$$I_1 = \frac{100 \times 300^3}{12} - \frac{80 \times 280^3}{12} = 137,12 \times 10^6 \text{ (mm}^4\text{)}$$

BARRA BC

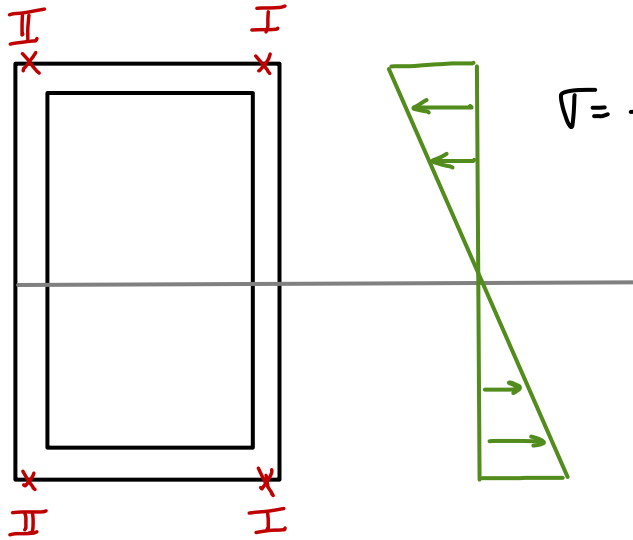


BARRA BA

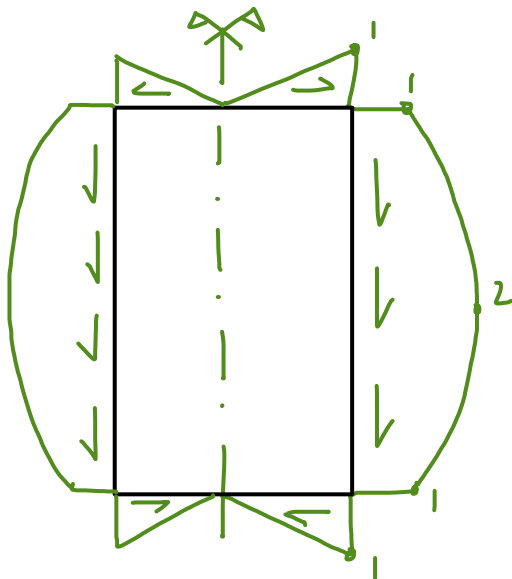


- a. Determine o valor máximo da força **P** que pode ser aplicada à estrutura. Utilize o critério de von Mises.

TENSÕES [MPa] P/ ESFORÇOS UNITÁRIOS [kN,m] (positivos)

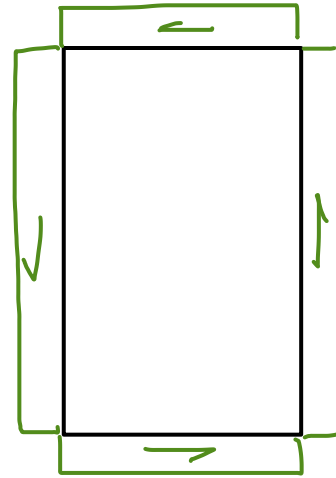


$$\tau = \frac{10^6}{137,12 \times 10^6} \times 150 = 1,094 \text{ MPa}$$



$$\tau_1 = \frac{10^3 \times 40 \times 140}{137,12 \times 10^6} = 0,041 \text{ MPa}$$

$$\tau_2 = 0,041 + \frac{10^3 \times \frac{140^2}{2}}{137,12 \times 10^6} = 0,113 \text{ MPa}$$



$$\tau = 2 A_m f$$

$$\tau = \frac{10^6}{2 \times 280 \times 80 \times 20} = 1,115 \text{ MPa}$$

SEÇÃO B DA BARRA BC \rightarrow I, II $\rightarrow \sigma_{vm} = P \sqrt{(2\sqrt{2} \times 1,094)^2 + 3 \times 0,041^2}$
 $= 3,09P$

SEÇÃO B DA BARRA BA \rightarrow II $\rightarrow \sigma_{vm} = P \sqrt{(2 \times 1,094)^2 + 3(0,041 + 2 \times 1,115)^2}$
 $= 4,5P$

$$4,5P = 235 \Rightarrow P = \underline{\underline{52,17 \text{ kN}}}$$

b. Calcule a rotação da secção **B**.

$$J = \frac{4 A_m^2}{\oint \frac{1}{2} ds} = \frac{4 \times (280 \times 80)^2}{\frac{1}{20} (280 + 80) \times 2} = 55,75 \times 10^6 \text{ mm}^4$$

$$\varphi = L \times \alpha = L \frac{T}{GJ} = 2 \times \frac{2 \times 52,17}{84 \times 10^6 \cdot J} = 0,0446 \text{ rad} \rightarrow \underline{\underline{2,55^\circ}}$$

(\nearrow)